SINE Investigation

$$
A=105^{\circ}
$$

-- For any triangle

Once we measured the sides, and the angles We found:

$$
\begin{aligned}
\frac{\mathrm{a}}{\operatorname{SIN}(\mathrm{~A})} & =7 / \operatorname{SIN}(105)=7 / 0.9659 \\
& =7.2
\end{aligned}
$$

## SINE Investigation

$$
A=105^{\circ}
$$

## -- For any triangle

Side cis smaller than
B

$$
\mathrm{a}=7 \mathrm{~cm}
$$

$$
\frac{c}{\operatorname{SIN}(C)}=\frac{3.6}{\operatorname{SIN}(30)}=7.2
$$

## SINE Investigation

## We notice that the relationships both

were 7.2
$\mathrm{a} / \operatorname{Sin}(A)=7 / \operatorname{Sin}\left(105^{\circ}\right)=7.2$
c $/ \operatorname{Sin}(C)=3.6 / \operatorname{Sin}\left(30^{\circ}\right)=7.2$

$$
A=105^{\circ}
$$

C
b

B

$$
\mathrm{a}=7 \mathrm{~cm}
$$


ex

This does NOT mean that every side and angle Will have a relationship of 7.2.

However, it DOES mean that for each triangle the relatonship between any side and ITS OWN angle will be the same as the other sides

## SINE Investigation

## What can we say about side b ?


a $/ \operatorname{Sin}(A)=7 / \operatorname{Sin}\left(105^{\circ}\right)=7.2$
$c / \operatorname{Sin}(C)=3.6 / \operatorname{Sin}\left(30^{\circ}\right)=7.2$
b $/ \operatorname{Sin}(B)=7.2$
$b / \operatorname{Sin}(45)=7.2$
$b=7.2 * \operatorname{Sin}(45)$
$b=5.1$

$$
\begin{aligned}
B & =180-30-105 \\
& =45^{\circ}
\end{aligned}
$$

$C=30$

This does NOT mean that every side and angle Will have a relationship of 7.2.

However, it DOES mean that for each triangle the relatonship between any side and ITS OWN angle will be the same as the other sides

## SINE Law

For any triangle with angles $A, B$, and $C$ and sides $a, b$, and $c$, this is true:
$a / \operatorname{Sin}(A)=b / \operatorname{Sin}(B) \quad=c / \operatorname{Sin}(C)$

